

## Introduction to Programming and Data Structures, 2023-24, Semester-II Assignment 05

Maximum Marks: **150**

Submission Deadline: **2023-Oct-....**

Topic: Polynomial Operations

### Assignment problem # AP0501

**Polynomial operations:** Given two polynomials  $f(x) = \sum_{i=0}^n a_i \cdot x^i$ ,  $g(x) = \sum_{i=0}^m b_i \cdot x^i$ , denoted by  $A$  and  $B$ , of degree  $n$  and  $m$  respectively, find addition/ subtraction/division/multiplication of them. Assume that a polynomial is represented by the structure `typedef struct poly { float * Coef; int deg; } Poly;` that stores degree of a polynomial and coefficient array. You should have at least the following operations.

- $\text{Poly} \leftarrow \text{allocate\_n\_init}(n)$ : Given a non-negative integer  $n$ , it initializes a polynomial structure  $A$ . Here it allocates memory for the coefficients for a polynomial of degree  $n$  and finally returns  $A$ . Consider the coefficients as `float` variables.
- $b \leftarrow \text{poly\_display}(\text{Poly } A)$ : Given a polynomial  $A$ , it should display the polynomial. Output should be in such a way that all of your friends can understand. Finally it returns a status bit  $b$  ( $b = \text{degree of the polynomial if success, else return -1, in case of failure}$ ). The coefficients must be displayed up to 2 decimal places.
- $b \leftarrow \text{poly\_free}(\text{Poly } A)$ : Given a polynomial  $A$ , it makes the memory allocated for the coefficients free. Finally, it returns a status bit  $b$  ( $b = \text{degree of the polynomial if success, else return -1, in case of failure}$ ).
- $\text{Poly} \leftarrow \text{poly\_add}(\text{Poly } A, \text{Poly } B)$ : Given two polynomials  $\text{Poly } A$  and  $\text{Poly } B$ , it outputs a polynomial  $C = A + B$  and displays  $C$  in the terminal.
- $\text{Poly} \leftarrow \text{poly\_sub}(\text{Poly } A, \text{Poly } B)$ : Given two polynomials  $A$  and  $B$ , it outputs a polynomial  $C = A - B$  and displays  $C$  in the terminal
- $\text{Poly} \leftarrow \text{poly\_mult}(\text{Poly } A, \text{Poly } B)$ : Given two polynomials  $A$  and  $B$ , it outputs a polynomial  $C = A * B$  and displays  $C$  in the terminal.
- $\text{PolyDivRes} \leftarrow \text{poly\_div}(\text{Poly } A, \text{Poly } B)$ : Given two polynomials  $A$  and  $B$ , it outputs `PolyDivRes` which stores a polynomial  $R$  (remainder) and a polynomial  $Q$  (quotient) such that  $A = B * Q + R$  and displays  $R$  and  $Q$  in the terminal
- $\text{Poly} \leftarrow \text{poly\_mult\_dnc}(\text{Poly } A, \text{Poly } B)$ : Given two polynomials  $A$  and  $B$ , it computes a polynomial  $C = A * B$  using divide and conquer method and displays  $C$  in the terminal.

**Input format:** A file containing  $(3k + 1)$  lines.

- Line 1 contains the number of test cases, i.e.,  $k$ .
- Each test case has three lines:
  1. line 1 contains  $n\ m\ op$ , separated by space, where  $op \in \{+, -, *, /\}$ , and  $n$  and  $m$  are degrees of the input polynomials.
  2. line 2 contains space separated coefficients of the 1st polynomial with degree  $n$  as  $a_n a_{n-1} \dots a_0$ .
  3. line 3 contains space separated coefficients of the 2nd polynomial with degree  $m$  similar to the above.

**Output format:** Any Readable format.

**Notes:** Free the memories occupied by the polynomials, if any, before terminating the program at any stage.

**Marks Distribution:** Main code: 90+30; Good programming practices: 30