# Introduction to Computer Programming and Data Structures Assignment 05 

Maximum Marks: 150
Submission Deadline: 2023-May-06
Topic: Polynomial Operations

## Assignment problem \# AP0501

Polynomial operations: Given two polynomials $f(x)=\sum_{i=0}^{n} a_{i} \cdot x^{i}, g(x)=\sum_{i=0}^{m} b_{i} \cdot x^{i}$ of degree $n$ and $m$ respectively, find addition/ subtraction/division/multiplication of them. Assume that the polynomial structure struct poly \{ float * Coef; int deg;\} POLY; only stores degree of a polynomial and coefficient array. You should have at least the following operations.

- poly_ $A \leftarrow$ poly_init $(n)$ : Given a non-negative integer $n$, it initializes a polynomial structure poly_A. Here it allocates memory for the coefficients and the degree in poly_ $A$. Consider the coefficients as float variables.
- $b \leftarrow$ poly_display $($ poly_ $A):$ Given a polynomial poly_ $A$, it should display the polynomial. Output should be in such a way that all of your friends can understand. Finally it returns a status bit $b$ ( $b=$ degree of the polynomial if success, else return -1 , in case of failure). The coefficients must be displayed up to 2 decimal places.
- $b \leftarrow$ poly_free $\left(p_{0} y_{-} A\right):$ Given a polynomial $p o l y^{\prime} A$, it makes the memory allocated for the coefficients free. Finally, it returns a status bit $b(b=$ degree of the polynomial if success, else return -1 , in case of failure).
- poly_ $C \leftarrow$ poly_add $\left(p_{0} y_{-} A, p o l y_{-} B\right)$ : Given two polynomials poly_ $A$ and poly_ $B$, it outputs poly_ $C=$ poly_ $A+$ poly_ $_{-} B$ and displays poly_ $C$ in the terminal.
- poly_ $C \leftarrow$ poly_sub $\left(p_{0} y_{-} A, p_{1} y_{-} B\right)$ : Given two polynomials poly_ $A$ and poly_ $B$, it outputs poly_ $C=p_{0} y_{-} A-p_{\text {ol }} y_{-} B$ and displays poly_ $C$ in the terminal
- poly_ $C \leftarrow$ poly_mult $\left(\right.$ poly_ $A, p_{1}$ pol_ $\left._{-} B\right)$ : Given two polynomials poly_ $A$ and poly_ $B$, it outputs poly $y_{-}=$poly $y_{-} A *$ poly $_{-} B$ and displays poly $C$ in the terminal.
- PoliDivRes $\leftarrow$ poly_div $($ poly_ $A$, poly_ $B)$ : Given two polynomials poly_ $A$ and poly_ $B$, it outputs PoliDivRes which stores poly_ $R$ (remainder) and poly_ $Q$ (quotient) such that poly_ $A=$ poly $_{-} B *$ poly_ $_{-} Q+$ poly $_{-} R$ and displays poly_ $R$ and $p_{\text {poly }}^{-}$$Q$ in the terminal

Input format: A file containing $(3 k+1)$ lines.

- Line 1 contains the number of test cases, i.e., $k$.
- Each test case has three lines:

1. line 1 contains $n m o p$, separated by space, where $o p \in\{+,-, *, /\}$, and $n$ and $m$ are degrees of the input polynomials.
2. line 2 contains space separated coefficients of the 1st polynomial with degree $n$ as $a_{n} a_{n-1} \ldots a_{0}$.
3. line 3 contains space separated coefficients of the 2 nd polynomial with degree $m$ similar to the above.

Output format: Any Readable format. For multiplication, output results from both poly_mult and poly_mult_dnc.
Notes:

- poly_ $A$, poly_ $_{-} B, p_{0} y_{-} C$, etc., are structures that store polynomials (i.e., store the coefficient and degree).
- Free the memories occupied by the polynomials, if any, before terminating the program at any stage.

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